

Given:

Curve Left

$$\Delta = 27^{\circ}54'27''$$

$$R = 1384.96'$$

$$\text{ROW} = 600' \quad (300' | 300')$$

$$\text{PC} = 5+87.89$$

$$\text{PC to PI} = \text{N}12^{\circ}59'46''\text{E}$$

Find:

- 1) The central angle (alpha) between stations 8+50 and 9+50 on the outside the ROW.

$$\mathbf{D_A = 4-08-13}$$

- 2) Calculate the outside ROW actual arc distance between 8+79.40 and 10+69.91.

$$\mathbf{Arc_{CL} = 190.51}$$

$$\mathbf{Arc_{Outer} = 231.78}$$

- 3) Calculate for the inside ROW the sub-chord (SC) between stations 6+11.42 and 11+02.47.

$$\mathbf{Arc_{CL} = 491.05}$$

$$\mathbf{C_{CL} = 488.48}$$

$$\mathbf{C_{inner} = 382.67}$$

- 4) Calculate the sub-chord bearing between 7+50 and 10+50 on the outside ROW.

$$\mathbf{Defl @ 7+50 = 3-21-12}$$

$$\mathbf{Defl @ 10+50 = 9-33-31}$$

$$\mathbf{Bearing = N00-05-03E}$$

**Key**

- 5) Calculate the station of the POC for which the sub-chord bearing is North from the PC on the inside ROW.

$$\begin{aligned} \text{Defl} &= 12-59-46 \\ \text{Delta} &= 25-59-32 \\ L &= 628.29 \\ \text{Station} &= 12+16.18 \end{aligned}$$

- 6) For the outside ROW,  $TO = 170.43'$ . What is the POC station?

$$\begin{aligned} TO_{CL} &= 140.09 \\ \text{Alpha} &= 25-59-33 \\ \text{Arc}_{CL} &= 628.29 \\ \text{Station} &= 12+16.18 \end{aligned}$$

- 7) Calculate for the inside ROW:

	STA	H angle RT	HD		SC
Instr.	9+25				
BS	8+00	<u>355-36-45</u>	<u>R</u>		
FS	10+75	<u>349-55-27</u>	<u>D</u>	<u>117.45</u>	
		$\alpha/2$			
	Station	Arc	Deflection	Angle.Rt.	Chord
<b>PC</b>	<b>5+87.89</b>	<b>-0-</b>	<b>-0-</b>	<b>360-00-00</b>	<b>-0-</b>
<b>BS</b>	<b>8+00</b>	<b>212.11</b>	<b>4-23-15</b>	<b>355-36-45</b>	<b>211.90</b>
<b>Inst.</b>	<b>9+25</b>	<b>337.11</b>	<b>6-58-23</b>	<b>353-01-37</b>	<b>336.28</b>
<b>FS</b>	<b>10+75</b>	<b>487.11</b>	<b>10-04-33</b>	<b>349-55-27</b>	<b>484.60</b>
		<b>150.00</b>	<b>3-06-10</b>		<b>149.93 cl 117.45 inside</b>